



Modeling traffic flow in large-scale networks



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SMRT, Grettia,
Marne-la-Vallée

About traffic flow modeling



Why modeling traffic flow?

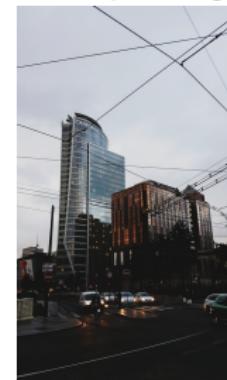
Traffic state estimation



Control



Urban planning



Public transports

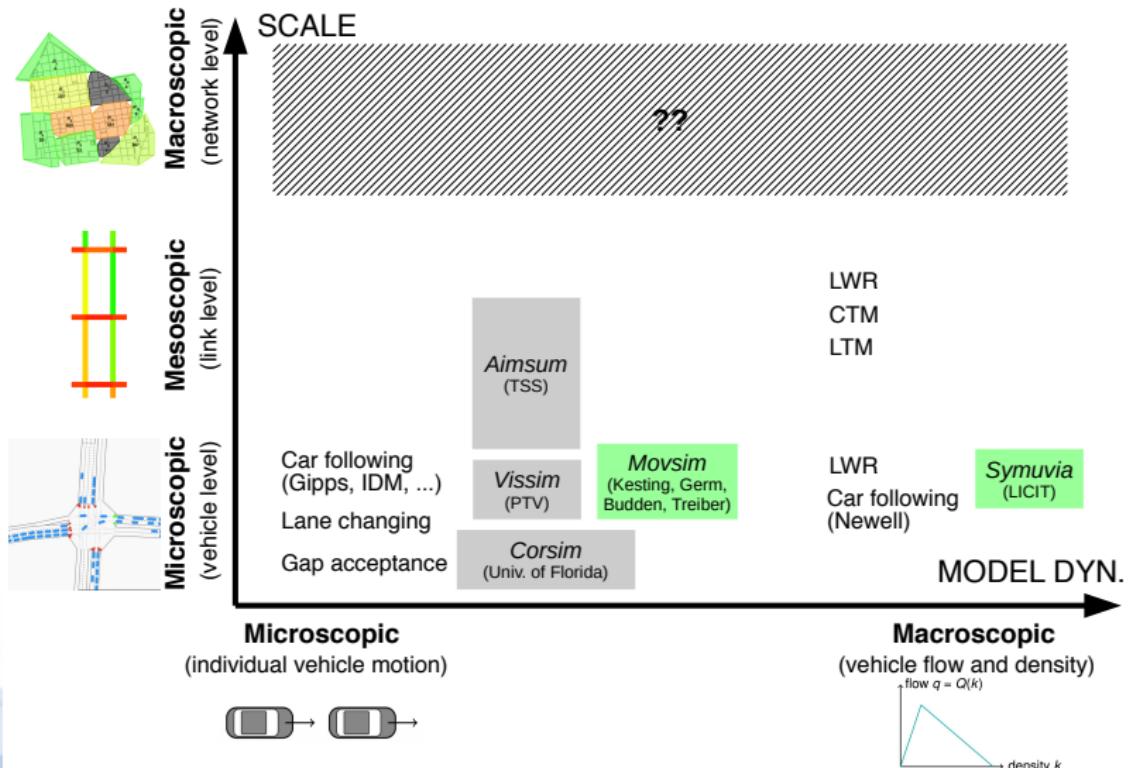


Gas emissions



photo credits: Lucas Gallone, Hermes Rivera, Markus Spiske – unsplash.com

Brief overview of traffic flow models



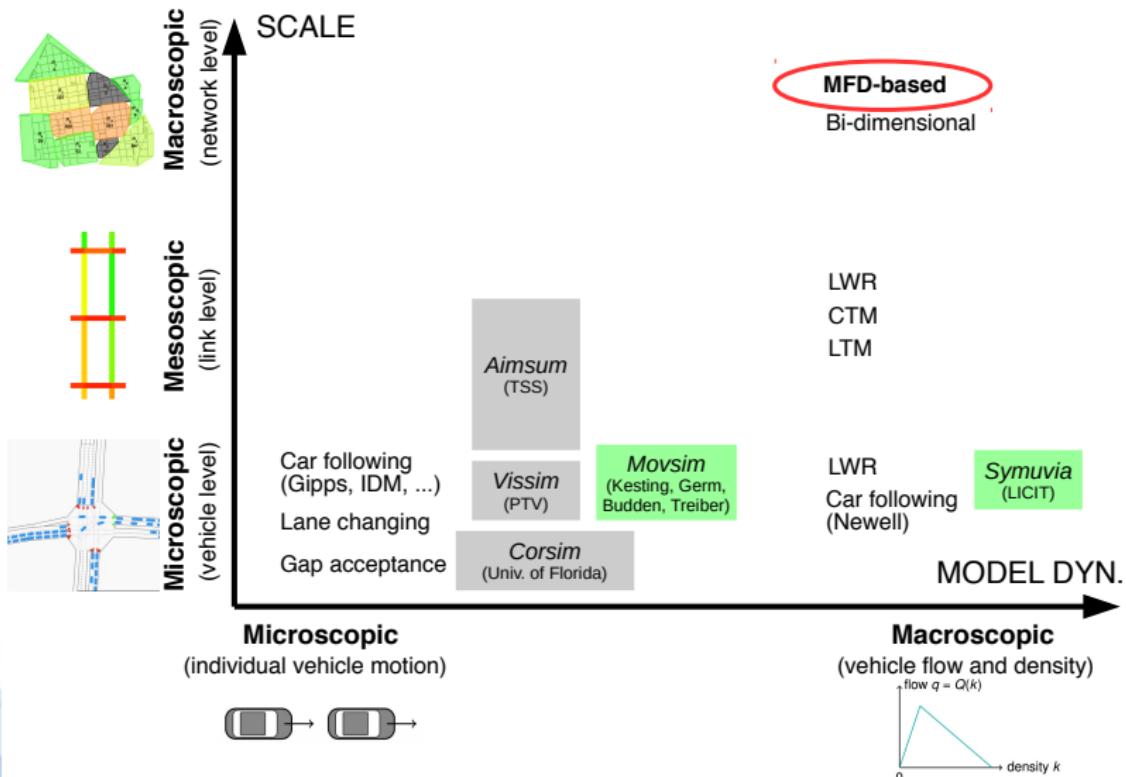
Limitations of these models at the network scale

- Computational complexity
- Real-time calculations almost impossible
- Large and detailed amount of information required (demand patterns, shortest paths, assignment, ...)



*Road network of
Lyon-Villeurbanne:
27,000 links
1700 entries
1700 exits*

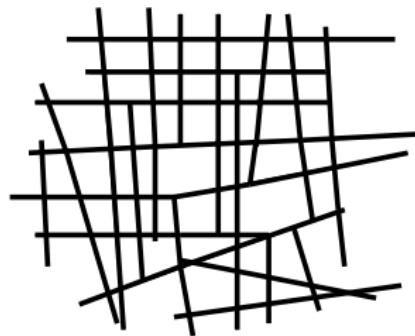
Brief overview of traffic flow models



Macroscopic MFD-based models



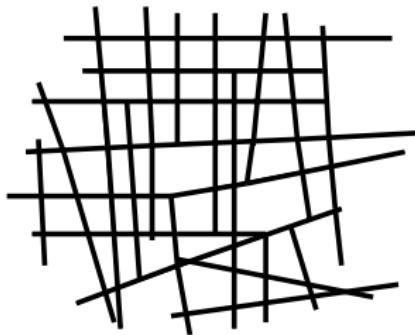
Split the network into zones or “reservoirs”



Real network



Split the network into zones or “reservoirs”

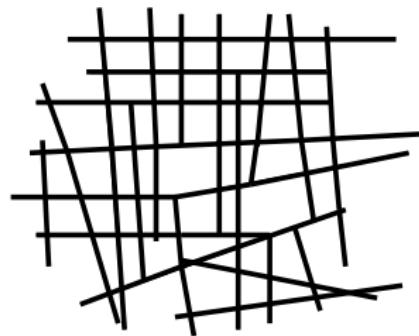


Real network



Clustering into zones
or “reservoirs”

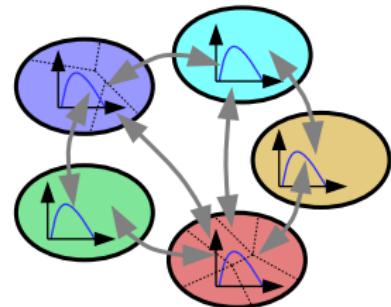
Split the network into zones or “reservoirs”



Real network

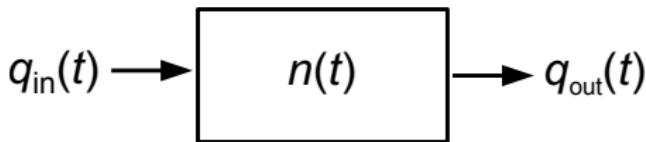


Clustering into zones
or “reservoirs”



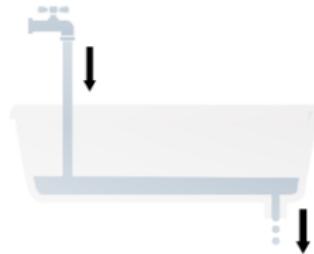
Modeling of flow
exchanges between
zones

Flow dynamics in one zone: the single reservoir or bathtub problem

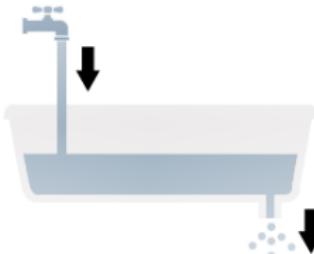
 $q_{\text{in}}(t)$ $\uparrow n(t)$ $q_{\text{out}}(t)$ 

Traffic regimes

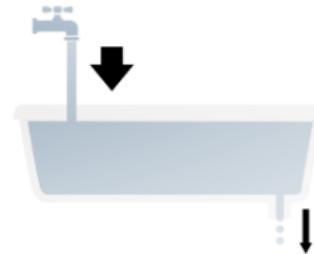
1



2

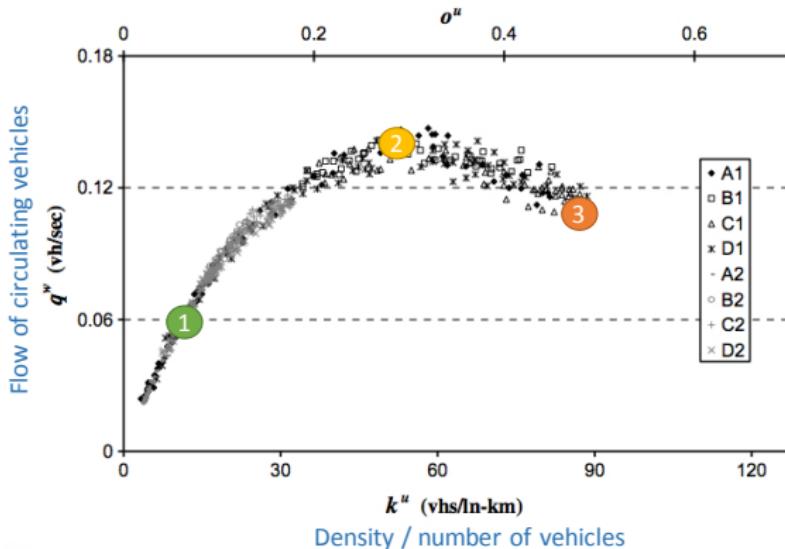


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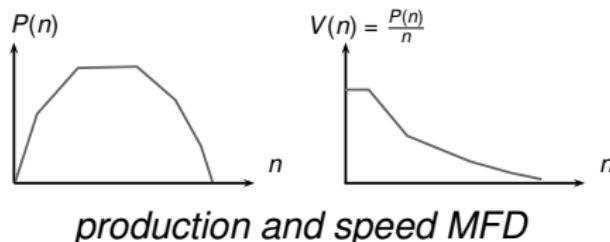
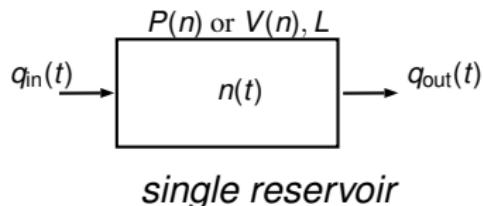


The Macroscopic or Network Fundamental Diagram (MFD or NFD)

N. Geroliminis, C.F. Daganzo / Transportation Research Part B 42 (2008) 759–770



Traffic flow dynamics: two approaches



$$\frac{dn}{dt} = q_{in}(t) - q_{out}(t)$$

$q_{in}(t)$: defined by demand

$q_{out}(t)$: ?? → two modeling approaches

No spatial extension in a reservoir!!
 → need to define a trip length

Accumulation-based model

(Daganzo, 2007, Geroliminis & Daganzo, 2007)

Use the principle of the queuing formula of Little (1961):

$$q_{\text{out}}(t) = \frac{n}{T} = n \frac{V}{L} = \frac{P}{L}$$



Trip-based model

(Arnott, 2013)

Explicit formulation of the trip length L :

$$L = \int_{t-T(t)}^t V(n(s)) ds \iff q_{\text{out}}(t) = q_{\text{in}}(t - T(t)) \frac{V(n(t))}{V(n(t - T(t)))}$$



Accumulation-based (free-flow conditions)



Trip-based (free-flow conditions)



Accumulation-based (congested conditions)



Trip-based (congested conditions)



Major differences

Accumulation-based:

Trip-based:



Major differences

Accumulation-based:

- flow exchange management at the reservoir borders

Trip-based:

- track of individual vehicles



Major differences

Accumulation-based:

- flow exchange management at the reservoir borders
- outflow demand explicitly defined by the formula of Little (1961)

Trip-based:

- track of individual vehicles
- outflow demand implicitly defined: result of the vehicles traveling at the reservoir mean speed

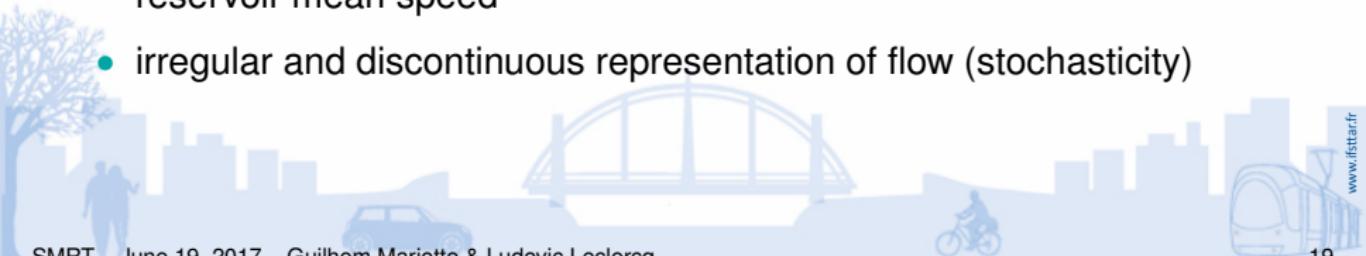
Major differences

Accumulation-based:

- flow exchange management at the reservoir borders
- outflow demand explicitly defined by the formula of Little (1961)
- smooth and continuous evolution of flow

Trip-based:

- track of individual vehicles
- outflow demand implicitly defined: result of the vehicles traveling at the reservoir mean speed
- irregular and discontinuous representation of flow (stochasticity)



Major differences

Accumulation-based:

- flow exchange management at the reservoir borders
- outflow demand explicitly defined by the formula of Little (1961)
- smooth and continuous evolution of flow
- algorithm complexity depending on the number of reservoirs and the time step choice (fast)

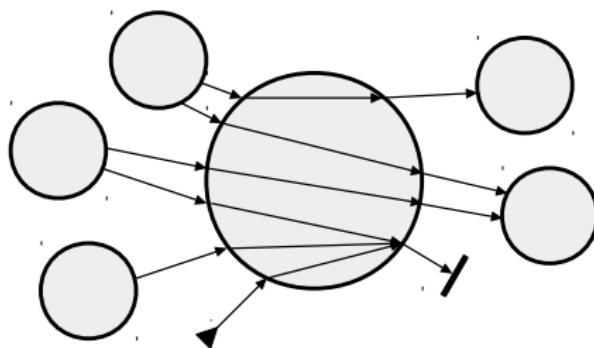
Trip-based:

- track of individual vehicles
- outflow demand implicitly defined: result of the vehicles traveling at the reservoir mean speed
- irregular and discontinuous representation of flow (stochasticity)
- algorithm complexity depending on the number of reservoirs and the number of vehicles (slower)

Multi-routes in a reservoir



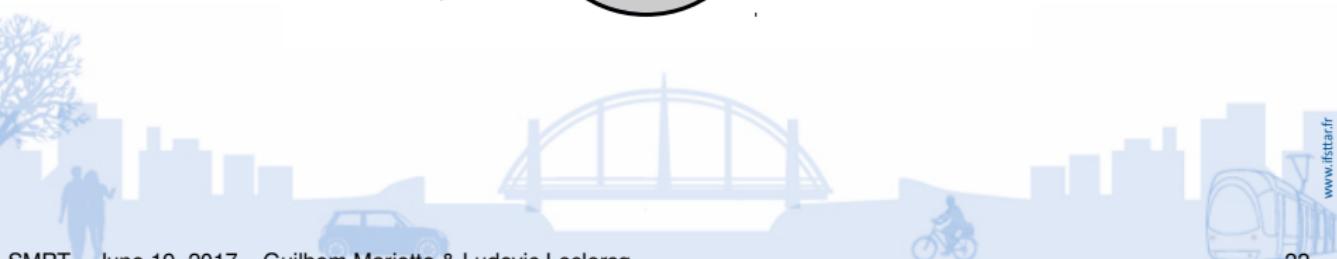
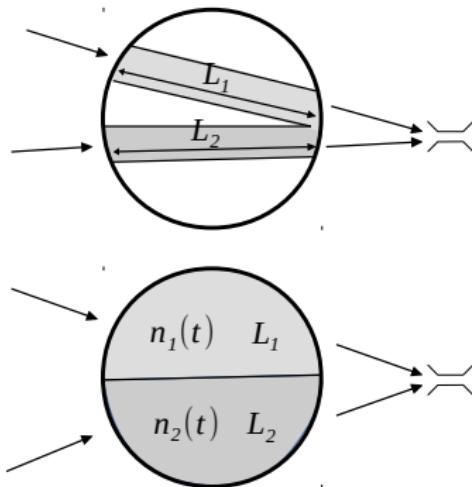
Inner dynamics of a reservoir



We may define different travel distances inside the same reservoir,
but all users/flows experience the same mean speed
→ Outflows from each different trips are all inter-dependent!!



Case of two routes



Accumulation-based, two routes, (free-flow)



Accumulation-based, two routes, (congestion)



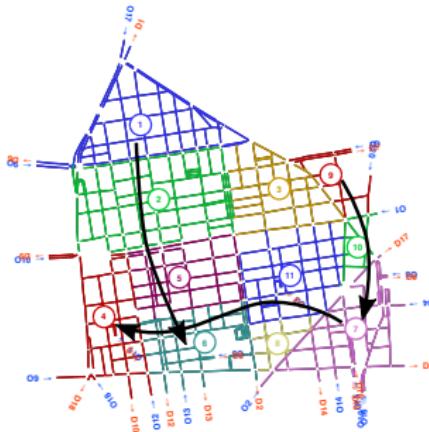
Application on a real network



Application example on the network of Lyon 6



Satellite view of Lyon, France (© Google Maps)



Application example on the network of Lyon 6

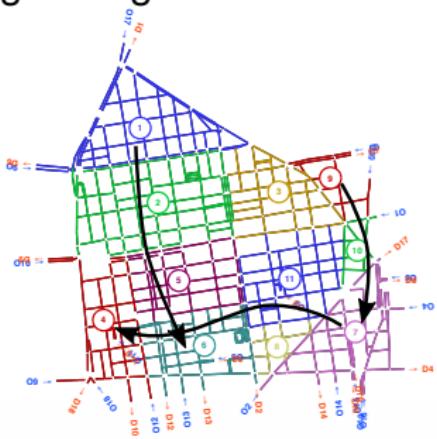


Application example on the network of Lyon 6

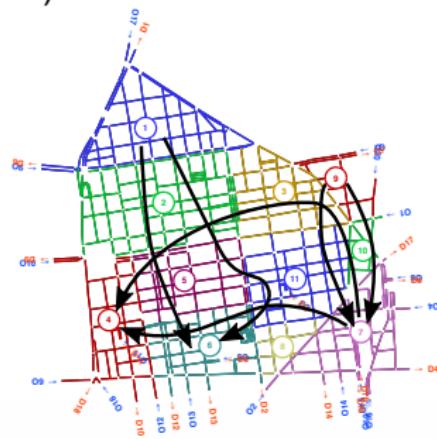


Application example on the network of Lyon 6

We can achieve a better distribution of trips among the reservoirs through assignment schemes (Probit here)



3 OD, 3 macro-routes



3 OD, 6 macro-routes

Application example on the network of Lyon 6



Current research questions & further work

With real networks and data:

- MFD definition and estimation
- Network clustering
- Trip length definition and estimation

Theoretical issues:

- Flow merging problems between reservoirs
- Congestion propagation within multi route frameworks



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Thank you for your attention

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